

# Using performance discontinuities to estimate individual Working-Memory Capacities in serial recall tasks

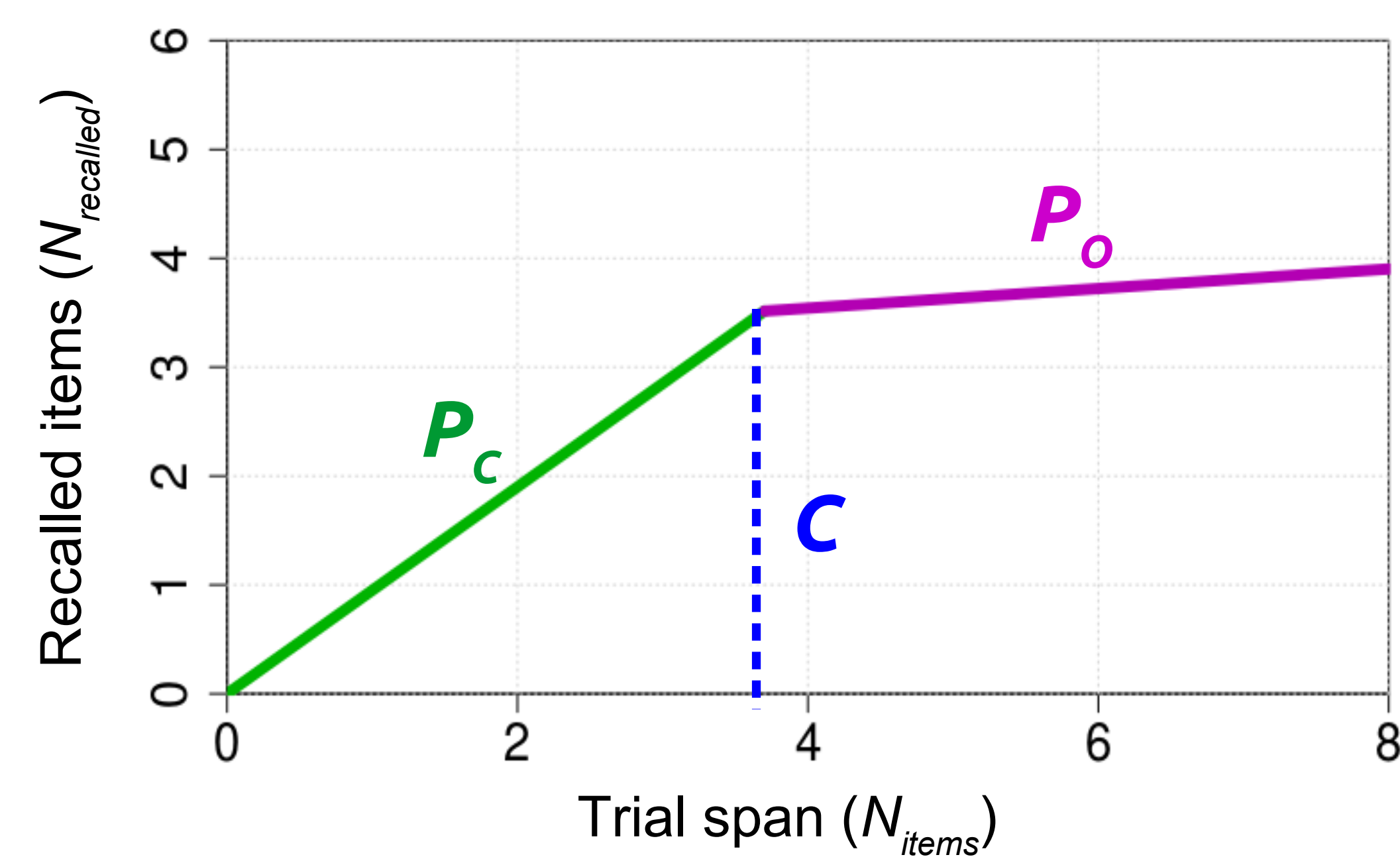
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## Introduction

Complex Span tasks and other serial recall tasks are typically scored using **simple indices**, such as the proportion of correctly recalled items (e.g., Conway, 2005). These indices **are not interpretable** as Working Memory Capacity.

## The performance discontinuity model

... consists of **just three informative parameters**:  $C_i$  the subject's capacity,  $P_C$  a high proportion of correctly recalled items within  $C_i$ , and  $P_O$  a lower proportion for further presented items. For a given trial with  $N_{recalled}$  correctly recalled out of  $N_{items}$  presented items:



$$N_{recalled_{i,j}} = \begin{cases} P_C N_{items_{i,j}} & \text{if } N_{items_{i,j}} \leq C_i \\ P_C C_i + P_O (N_{items_{i,j}} - C_i) & \text{if } N_{items_{i,j}} > C_i \end{cases}$$

## Method

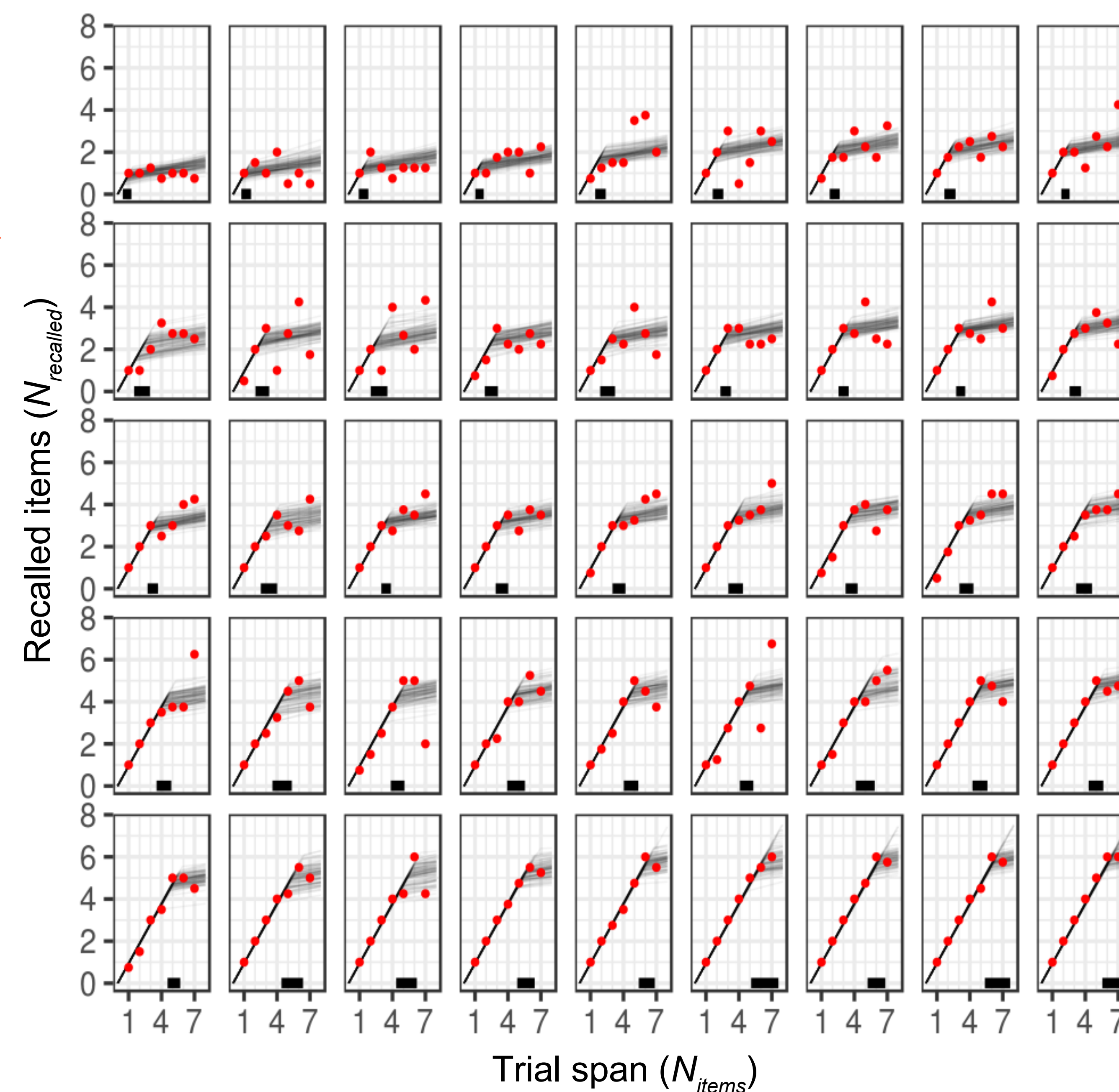
We estimated the parameters using JAGS for Bayesian inference (Plummer, 2003) on **Operation Span data from 46 subjects** who did four repetitions of spans one through seven, i.e., 28 trials.

## Results: parameter estimates

The population  $C$  is 3.7, congruent with previous estimates (Cowan, 2001).  $C$  marks a sharp discontinuity between an almost perfect rate of recall in working memory and barely any recalled items when  $C$  is exceeded.

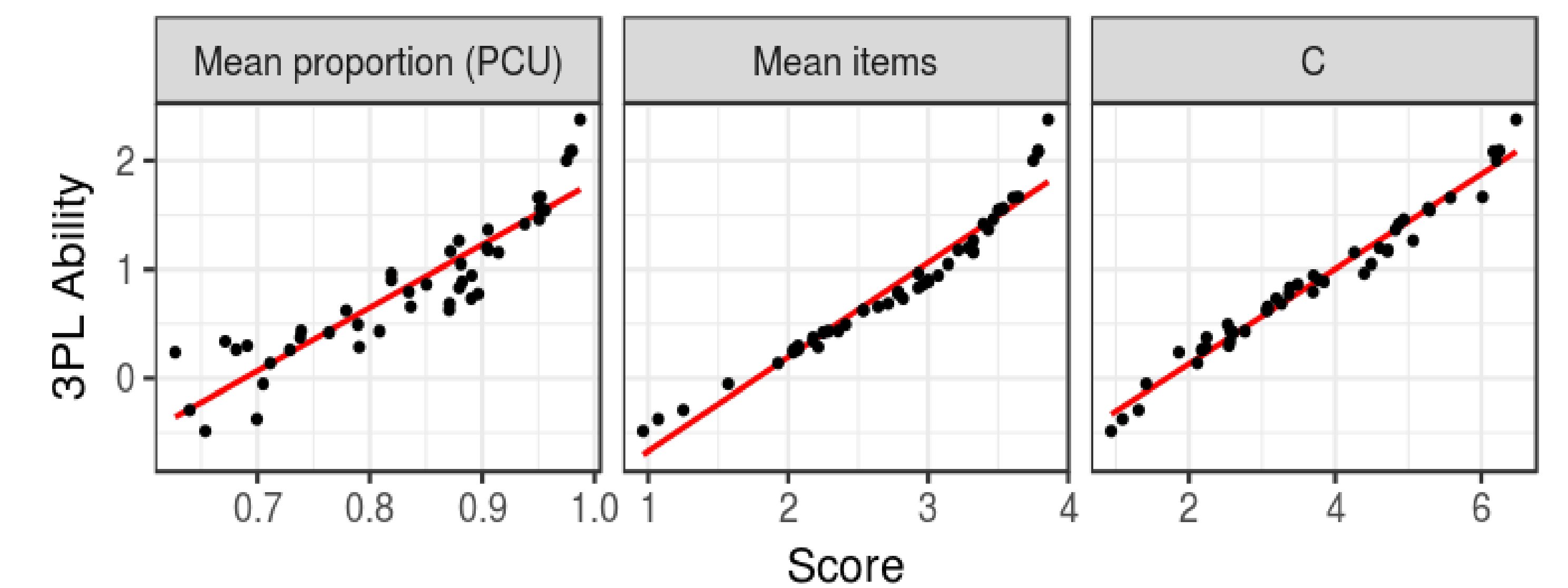
Estimate	95% CI (N = 46)
$C = 3.7$ chunks	3.2 – 4.2 chunks
$P_C = 94.5\%$	93.2 – 96.1 %
$P_O = 9.1\%$	3.9 – 15.0 %

For individuals (panels), the model has a good fit (slopes) to actual recall (dots) and  $C$  is identifiable (black horizontal 95% CI):

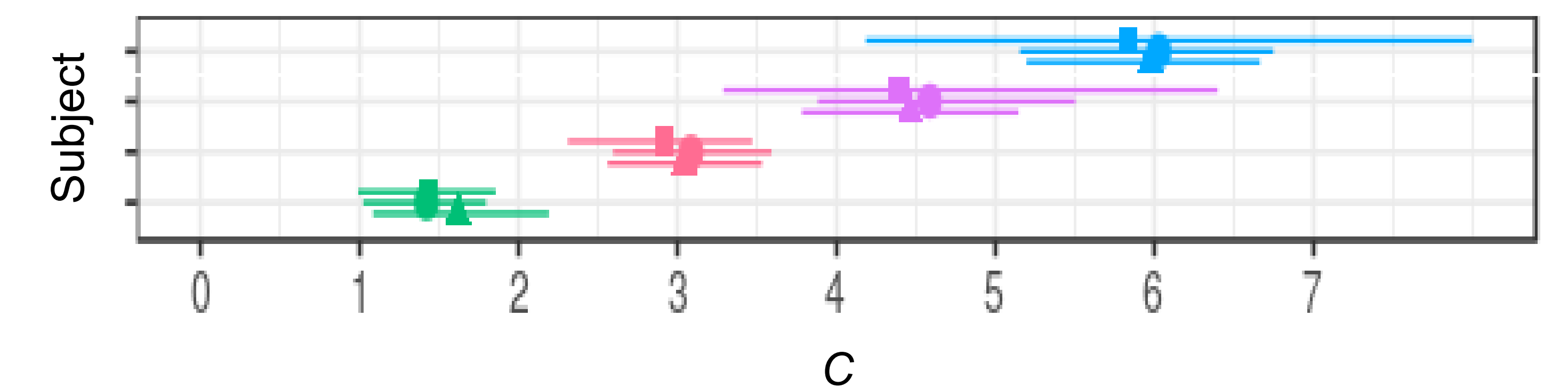


## Results: validity and robustness

Compared to conventional scoring methods,  $C$ s **scales linearly with the underlying ability** ( $r = .987$ ), as estimated using a three-parameter logistic model (3PL):



Contrary to conventional indices,  $C$  **remains stable when some  $N_{items}$  are omitted**. Here are estimates of  $C$  based on  $N_{items} = 1-7, 3-7, \text{ and } 1-5$  for each of four example subjects (colors):



## Discussion

The primary strength of the performance discontinuity score of  $C$  is the **low model complexity high interpretability**. It requires super- and supra- $C$  trials and the non-zero  $P_O$  slope would be inaccurate for large  $N_{items}$ , so the model has a **restricted domain of applicability**. Within this domain, it outperforms classical scoring of Complex Span tasks.